# Online Motion Planning Problem Set 7 Universität Bonn, Institut für Informatik I 

To be solved until the 13th of December

## Problem 1:

Suppose a polygon $P$ with two boundary points $s$ and $t$ is given.
a) Prove or disprove: $P$ is a street for $s$ and $t$ if and only if from every point of both chains $P_{L}$ and $P_{R}$ there is one point of the shortest path from $s$ to $t$ visible.
b) Give an offline algorithm, that decides if $P$ is a street for $s$ and $t$.

## Problem 2:

A polygon $P$ is called star-shaped if there is a point in $P$ that sees the whole polygon. The set of such points is called kernel of $P$.
a) Show that every star-shaped polygon is a street for appropriately chosen points $s$ and $t$.
b) For which pairs of points on the boundary of $P$ is the street property fullfilled? Give a precise criterion that is related to the kernel.

## Problem 3:

Give an algorithm for exploring an unknown rectilinear polygon with a factor better than 10 and prove the factor.

